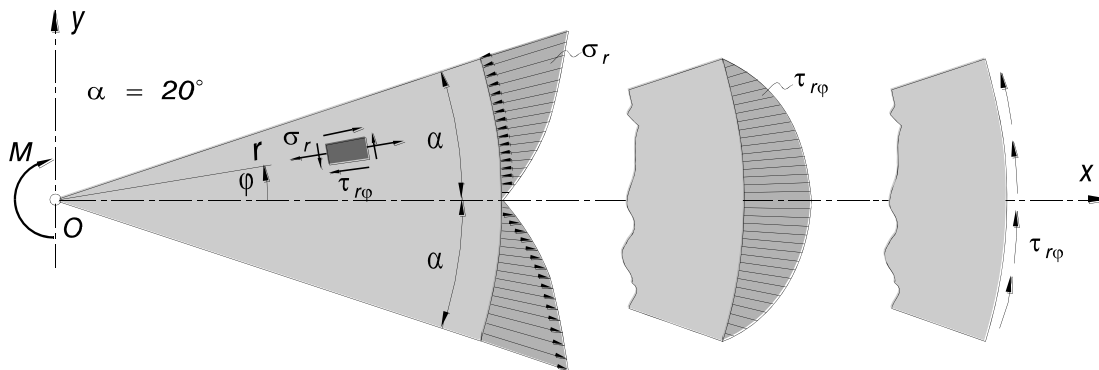


$$\sigma_{\varphi}(\pm\alpha) = 0, \quad \tau_{r\varphi}(\pm\alpha) = 0. \quad (\text{b})$$



Slika 5.34 Klin opterećen spregom M u vrhu

Prvi je uvjet ispunjen, dok nam drugi rubni uvjet daje

$$\frac{1}{r^2}(C_1 + 2C_2 \cos 2\alpha) = 0. \quad (\text{c})$$

Oдавde možemo dobiti

$$C_1 = -2C_2 \cos 2\alpha, \quad (\text{d})$$

pa je

$$\tau_{r\varphi} = \frac{2C_2}{r^2}(\cos 2\varphi - \cos 2\alpha). \quad (\text{e})$$

Konstantu C_2 odredit ćemo iz uvjeta ravnoteže momenata oko točke 0 koji glasi

$$\Sigma M_o = -M + \int_{-\alpha}^{\alpha} \tau_{r\varphi} \cdot r d\varphi \cdot r = 0. \quad (\text{f})$$

Kad u gornji izraz uvrstimo (e) i sredimo, dobit ćemo

$$\Sigma M_o = -M + 2C_2 \int_{-\alpha}^{\alpha} (\cos 2\varphi - \cos 2\alpha) d\varphi = 0,$$

odnosno

$$2C_2 = + \frac{M}{\sin 2\alpha - 2\alpha \cos 2\alpha}, \quad (\text{g})$$

pa je

$$\sigma_r = - \frac{2M}{\sin 2\alpha - 2\alpha \cos 2\alpha} \frac{\sin 2\varphi}{r^2},$$